Math Class Development, October 31 (Thu.), JICA, 1st Period 2-A

- 1 Goals of this class
- · To become aware of the nature of diagrams by transforming quadrilateral ABCD into various shapes
- To prove that quadrilateral EFGH is a parallelogram

2 Development

Flow	• Pupils' learning activity	· Teachers' involvement
		• Presenting the question
	[Question] Where the midpoints of sides AB, BC, CD, a of quadrilateral ABCD is E, F, G, and H, respec what shape does quadrilateral EFGH have?	
(5 minutes)	• Drawing the diagram given with the [Question] and writing findings on the worksheet	• Selecting three pupils from those who have drawn quadrilateral ABCD as a special form such as an infinite quadrilateral, rectangle, and square and
	 Comparing the diagram drawn on the worksheet and the diagram drawn on the whiteboard and presenting findings *Quadrilateral EFGH is a quadrilateral. 	directing them to draw their quadrilaterals • Stressing the need not to focus too
(15 minutes)	 *Quadrilateral EFGH may be a rectangle or square. *EF equals half the length of EF. *EF is parallel to AC. 	 much on one diagram and teaching that various things can be noticed by observing various diagrams Telling the pupils to present what they have noticed no matter how small it is
(15 minutes)	 Observing the diagram with a tablet terminal and writing findings on the worksheet Presenting the findings Sharing ideas on the learning task of this class with other pupils, from what has been noticed to what has been guessed even though it is ambiguous 	 Teaching the importance of the use of a tablet terminal and directing the pupils to work in pairs to use a tablet terminal Confirm if the pupils have become aware of the nature of diagrams by transforming diagrams. Directing the pupils to classify the findings into things they are sure of,
(25 minutes)		things they are not sure of, and things that are incorrect
	[Learning task] Is quadrilateral EFGH always a parallelogram no matter whatever type of quadrilateral it is?	
	Draw a line to connect points B and D. According to the midpoint theorem, EH//BD, EH = $1/2 \times BD \dots [1]$ FG//BD, FG = $1/2 \times BD \dots [2]$ From [1] and [2], EH//FG and EH = FG. Accordingly, a pair of sides are parallel with the same length. Quadrilateral EFGH is a parallelogram.	 Confirm if the pupils have come up with the proof method based on what they have learned so far. Confirming the ideas the pupils have used for the proof and directing them to summarize the ideas on the worksheet
(40 minutes)	The sets of conditions for a parallelogram are met because of the midpoint theorem, and therefore, Quadrilateral EFGH is a parallelogram.	• Confirming the findings in solving the task which the pupils are sure of
	 Writing what the pupils want to clarify in the next class * What shape is quadrilateral ABCD when quadrilateral EFGH is a rectangle or square? 	
(50 minutes)		• Determining tasks for the next class

3 Assessing how much the goals of this class have been achieved

• Assessing if the pupils have become aware of the nature of diagrams and have proven that quadrilateral EFGH is a parallelogram by checking the worksheet and observing discussion among pupils